

CryptoNets

Applying Neural Networks to Encrypted Data
with High Throughput and Accuracy

ICML 2016, New York

Ran-Gilad Bachrach, Nathan Dowlin*, [Kim Laine](#), Kristin Lauter,
Michael Naehrig, John Wernsing

Microsoft Research, WA

* Princeton University, NJ

Prediction as a Service

Prediction as a Service



Medical



Genomic



Financial

Wait. What about privacy?



Who else is going to see your DNA sequence and the prediction?



Who else is going to see your DNA sequence and the prediction?

“Sorry, your DNA does not match this job description.”



“Here is an advertisement that according to your DNA you will not be able to resist.”

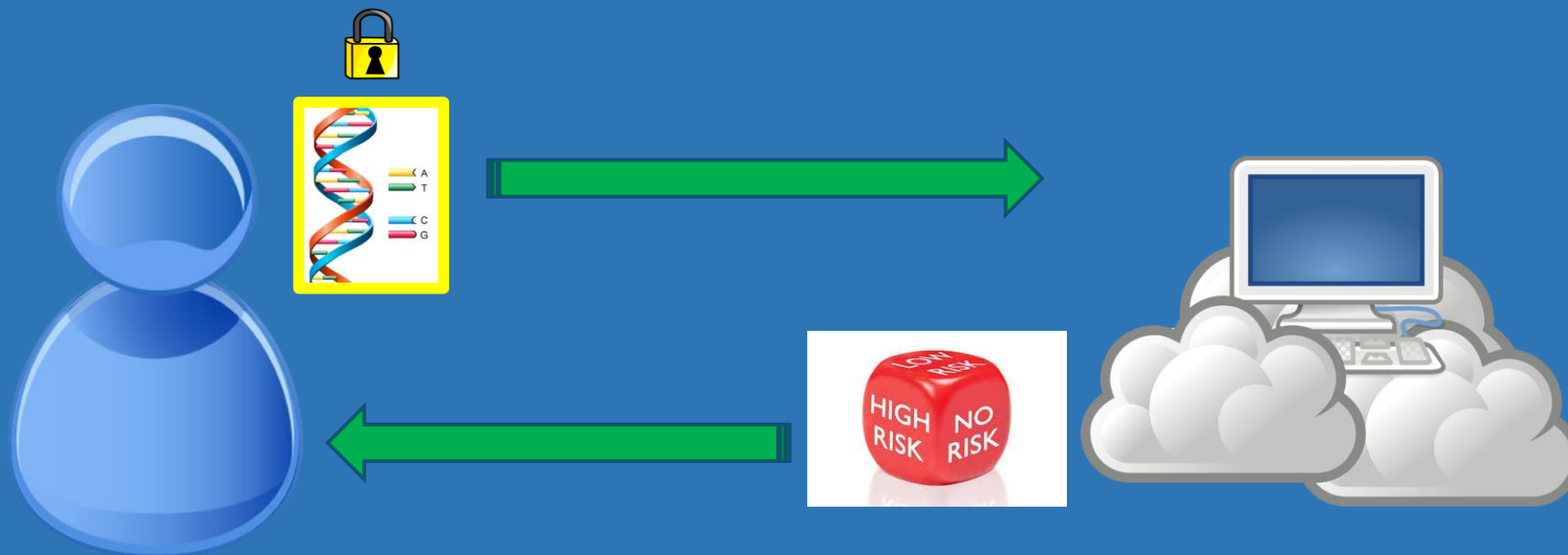
“We are not giving you this loan because it is not in your DNA to pay it back.”

Inference Over Encrypted Data

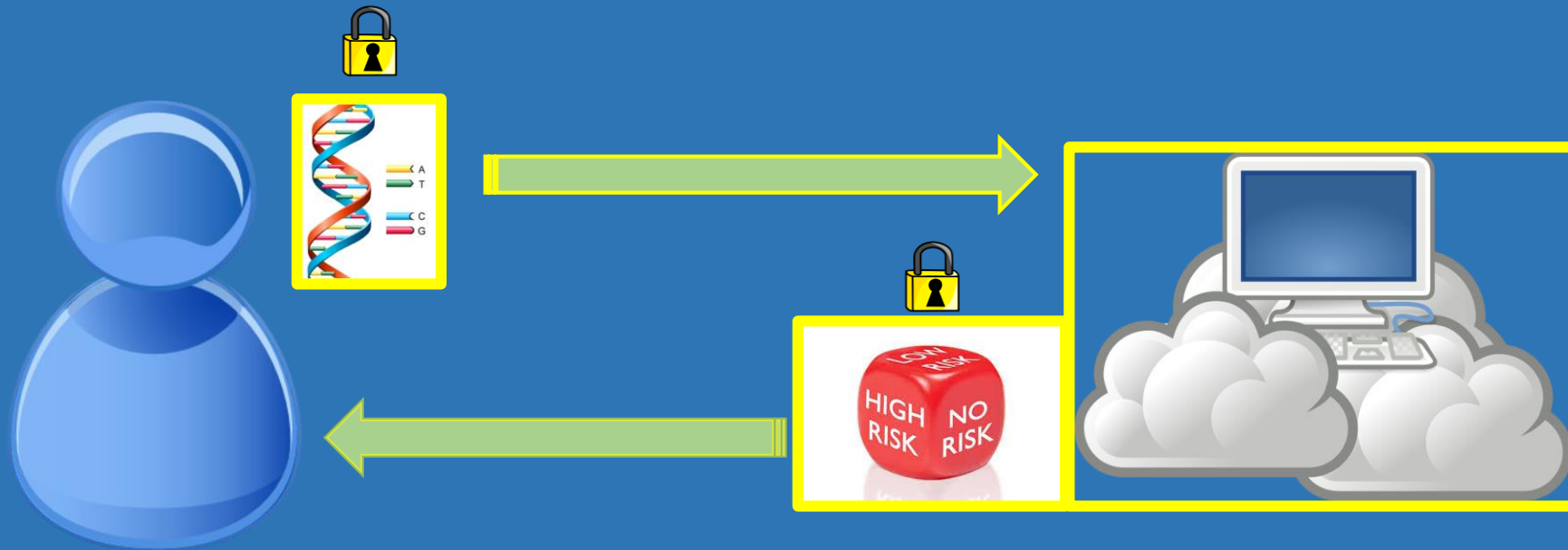
Inference Over Encrypted Data



Inference Over Encrypted Data



Inference Over Encrypted Data



Homomorphic Encryption

Fully Homomorphic Encryption Using Ideal Lattices

Craig Gentry

Stanford University and IBM Watson
cgentry@cs.stanford.edu

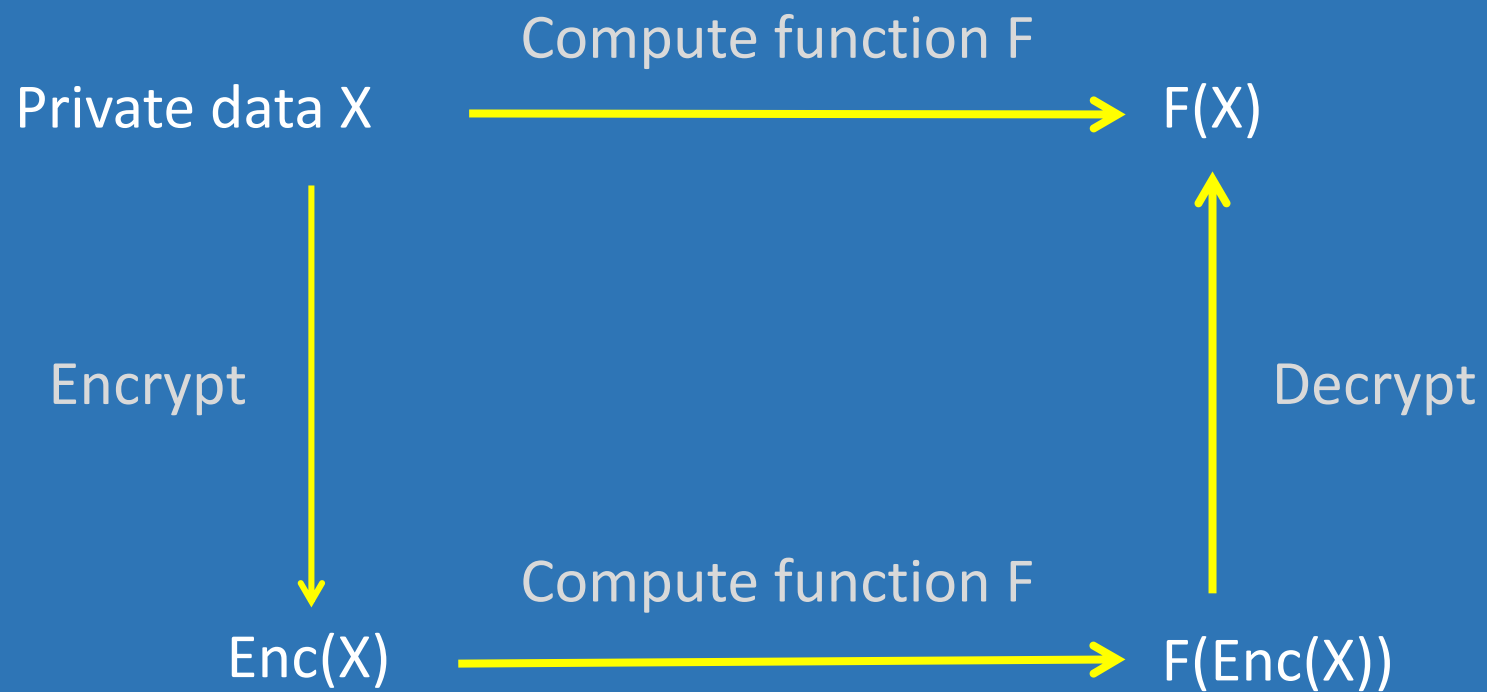
ABSTRACT

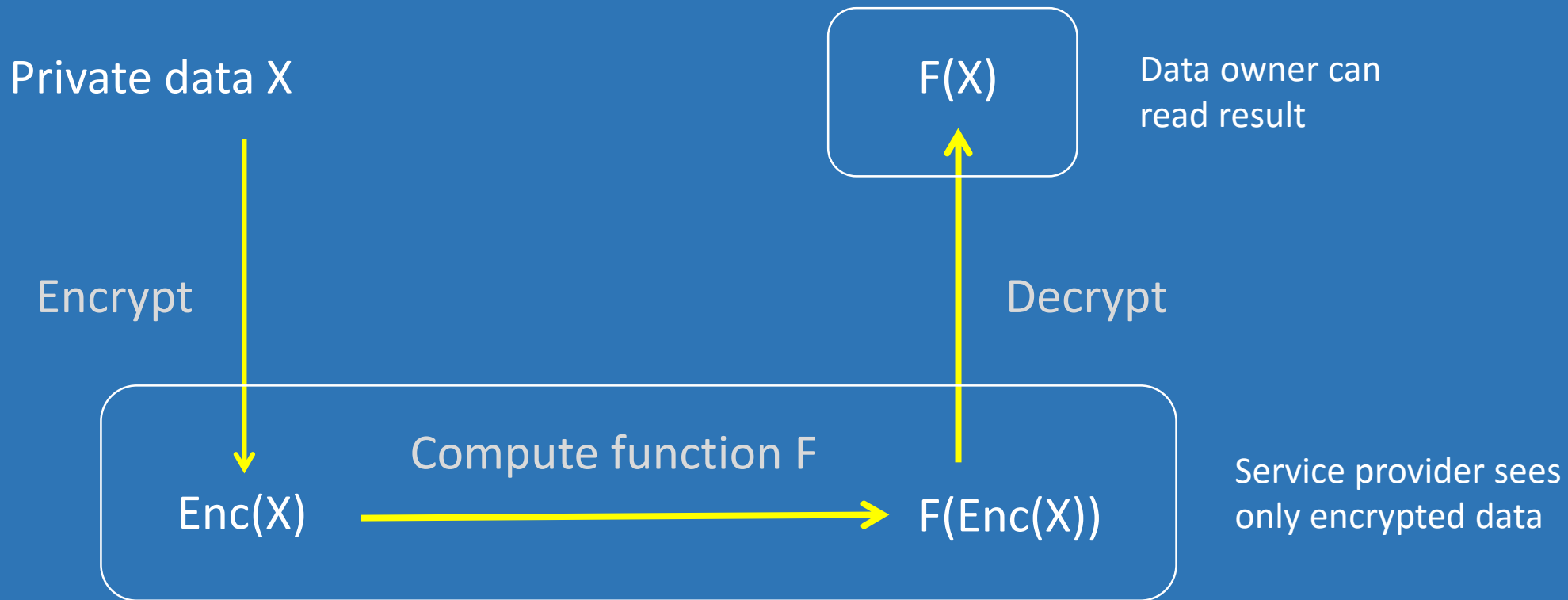
We propose a fully homomorphic encryption scheme – i.e., a scheme that allows one to evaluate circuits over encrypted data without being able to decrypt. Our solution comes in three steps. First, we provide a general result – that, to construct an encryption scheme that permits evaluation of *arbitrary circuits*, it suffices to construct an encryption scheme that can evaluate (slightly augmented versions of) its *own decryption circuit*; we call a scheme that can evaluate its (augmented) decryption circuit *bootstrappable*.

Next, we describe a public key encryption scheme using *ideal lattices* that is *almost* bootstrappable. Lattice-based cryptosystems typically have decryption algorithms with low

duced by Rivest, Adleman and Dertouzos [54] shortly after the invention of RSA by Rivest, Adleman and Shamir [55]. Basic RSA is a multiplicatively homomorphic encryption scheme – i.e., given RSA public key $pk = (N, e)$ and ciphertexts $\{\psi_i \leftarrow \pi_i^e \bmod N\}$, one can efficiently compute $\prod_i \psi_i = (\prod_i \pi_i)^e \bmod N$, a ciphertext that encrypts the product of the original plaintexts. Rivest et al. [54] ask a natural question: What can one do with an encryption scheme that is *fully* homomorphic: a scheme \mathcal{E} with an efficient algorithm $\text{Evaluate}_{\mathcal{E}}$ that, for any valid public key pk , *any* circuit C (not just a circuit consisting of multiplication gates), and any ciphertexts $\psi_i \leftarrow \text{Encrypt}_{\mathcal{E}}(pk, \pi_i)$, outputs

$$\psi \leftarrow \text{Evaluate}_{\mathcal{E}}(pk, C, \psi_1, \dots, \psi_t),$$





$F(X)$ must be a polynomial in the data X

Private data X

Encrypt

$\text{Enc}(X)$

Compute function F

$F(\text{Enc}(X))$

Decrypt

$F(X)$

Data owner can read result

Service provider sees only encrypted data

Why Neural Networks?

1. Challenging

2. High accuracy for difficult problems

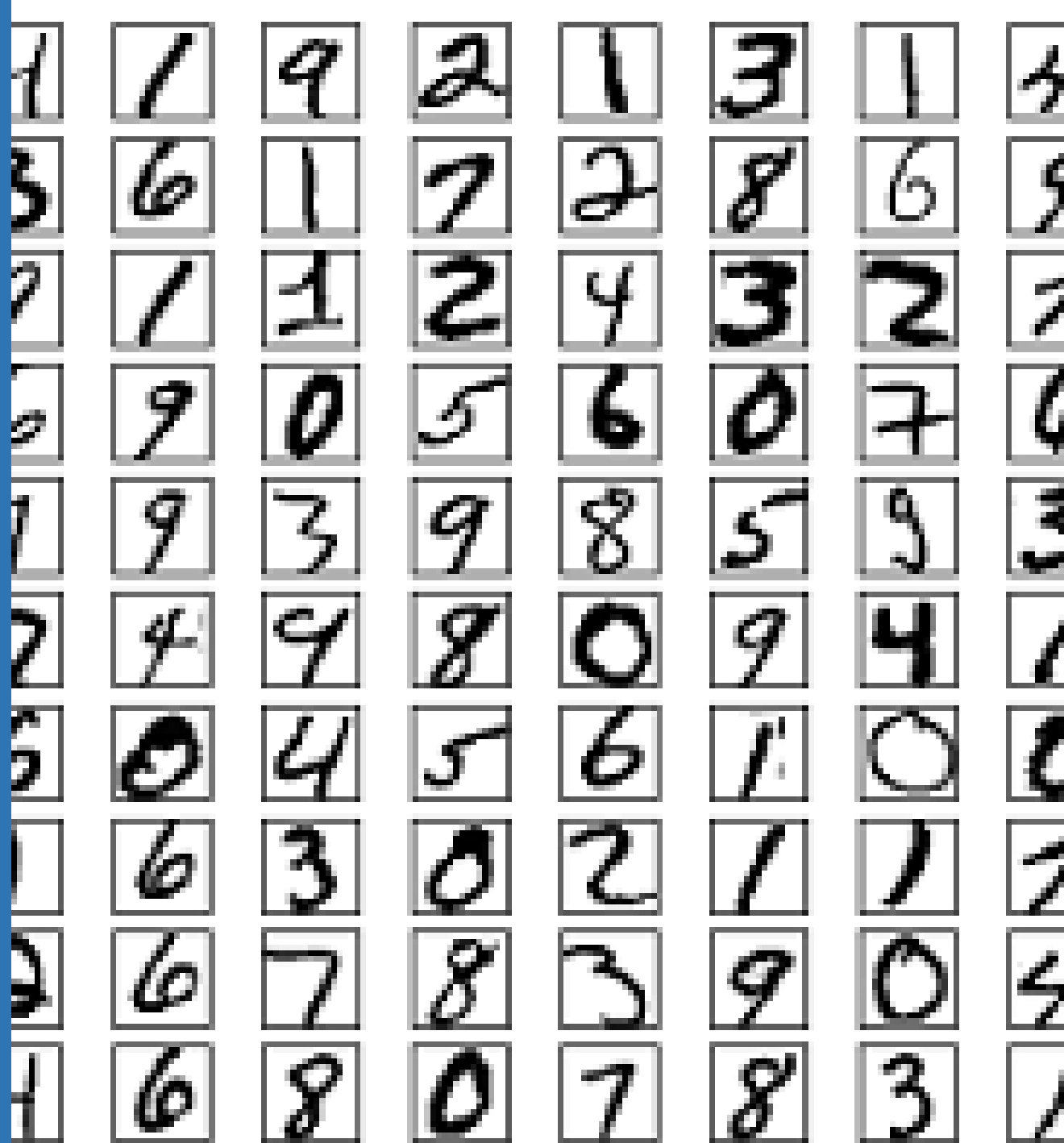
3. Easily converted to polynomial predictor (polynomial activation function)

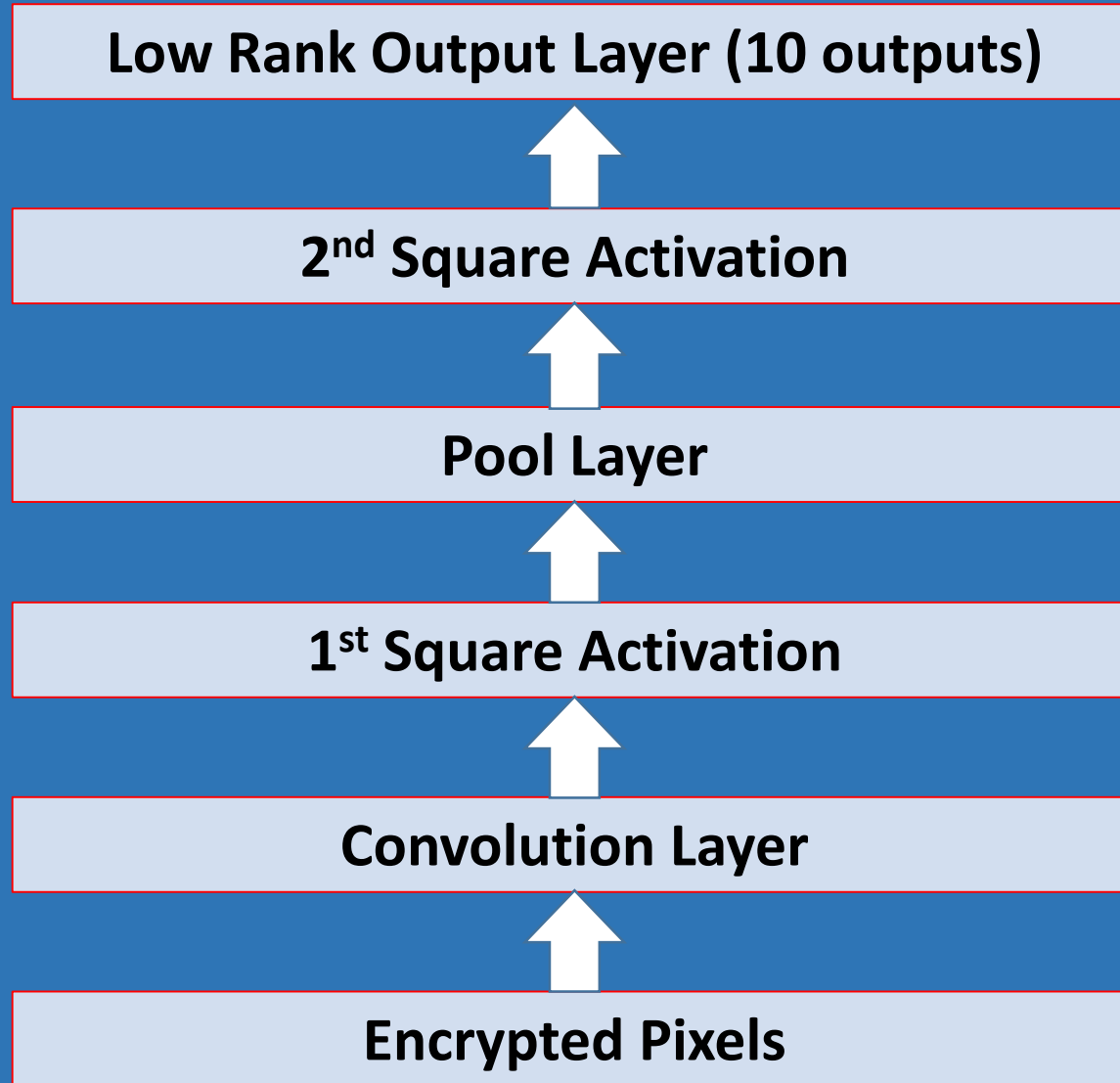
Simple Encrypted Arithmetic Library - SEAL



<http://sealcrypto.codeplex.com>

MNIST dataset





Method/Trick	Accuracy	Latency	Amortized Latency	Throughput	Amortized Memory Footprint
		seconds	sec/instance	instances/hr	
Square Activation Network	97.3%	1360	1360	2.65	16000x
Plain Multiplication	97.3%	24	24	150	16000x
Chinese Remainder Theorem	97.6%	60	60	60	16000x
Convolution Network	99.0%	3976	3976	0.91	196000x
Skipping Relinearization	99.0%	590	590	6.1	196000x
Pre-Computing Linear Layers	99.0%	538	538	6.32	196000x
Splitting Plaintext Ring	99.0%	538	.065	51739	24x
Improved parameters	99.0%	250	.061	58982	15x

Future Directions

New techniques in homomorphic encryption

Other Machine Learning models?

How to do rectified linear?

Crypto + ML + Engineering lead to success

Thank You!

Questions?

Kim Laine
kim.laine@microsoft.com

Ran Gilad-Bachrach
rang@microsoft.com